

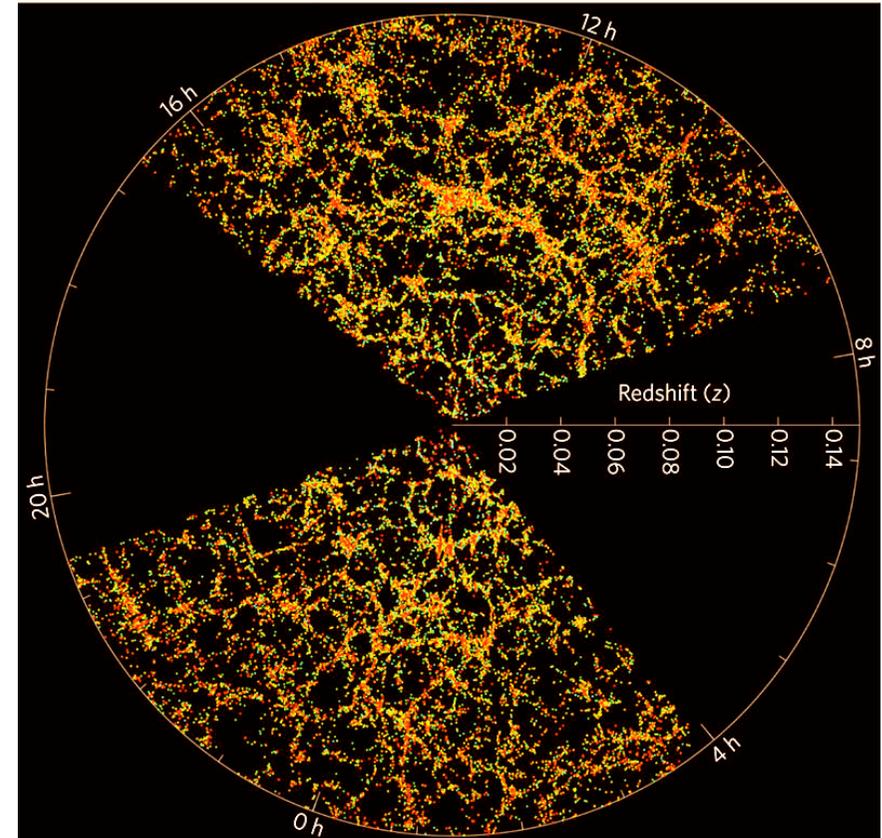
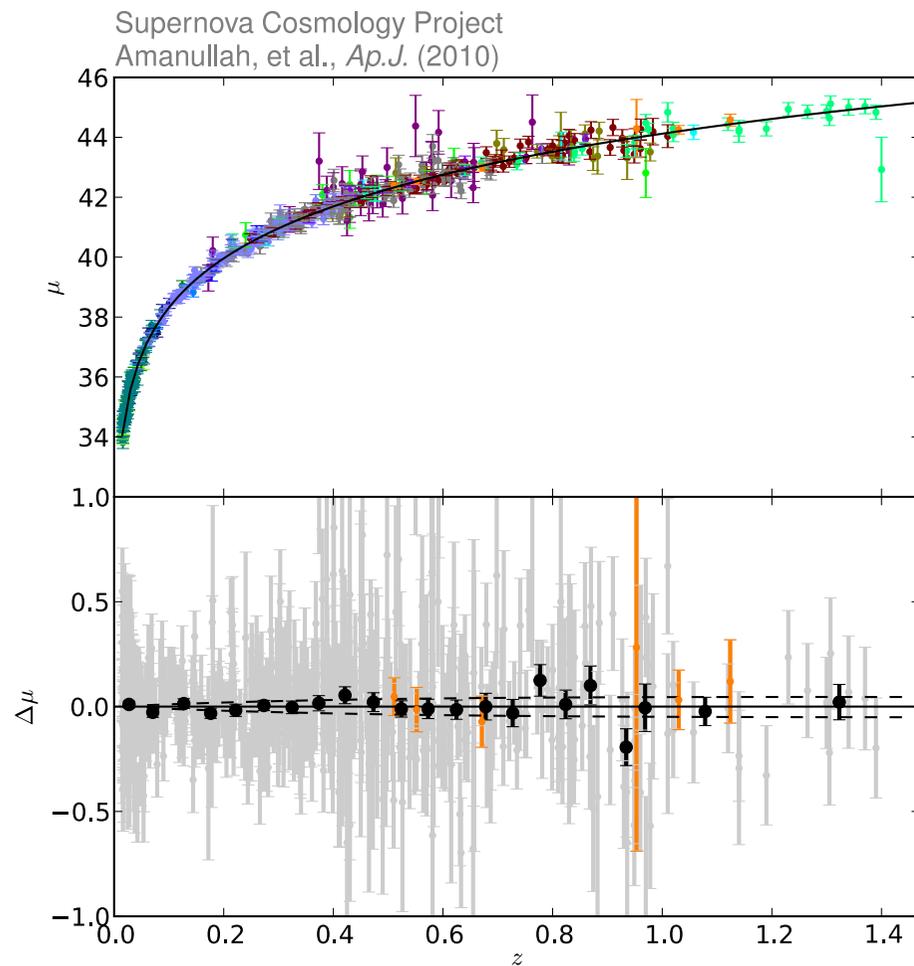
Cosmology with TAIPAN : optimizing the survey design

Chris Blake (Swinburne)

Probes of the cosmological model

How fast is the Universe expanding with time?

How fast are structures growing within it?

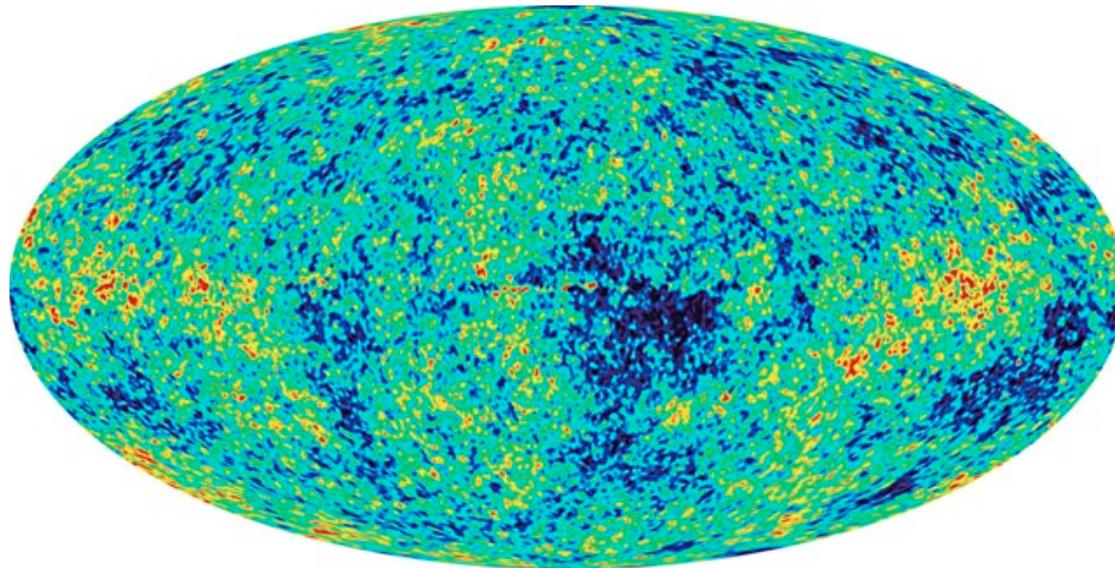


Probes of the cosmological model

- TAIPAN cosmology probes :
- (1) Baryon acoustic peak
- (2) Redshift-space distortions
- (3) Peculiar velocities

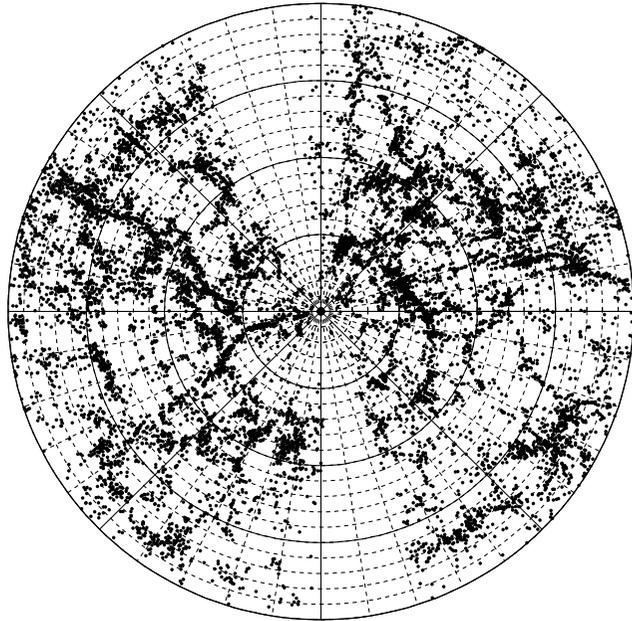
Baryon acoustic peak

- **Standard ruler** in galaxy clustering pattern which allows the mapping out of cosmic distances
- Calibrated in units of Mpc using **CMB physics** with accuracy of 1.1% [WMAP] , 0.3% [Planck]



- Application to a low-z survey **measures H_0**

Existing low redshift measurement!

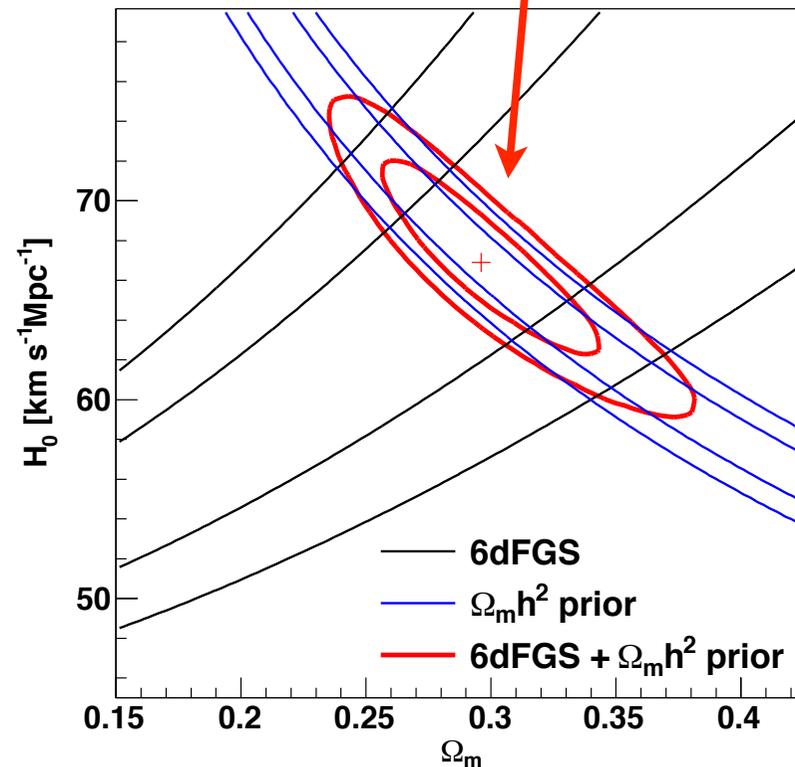
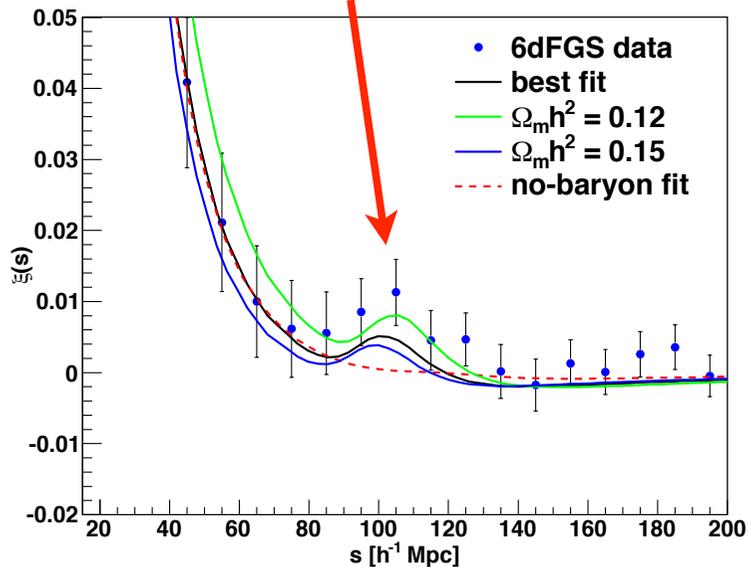


6dF Galaxy Survey

Beutler et al. (2011)

$$H_0 = 67.0 \pm 3.2 \text{ km s}^{-1} \text{ Mpc}^{-1}$$

$$D(z=0.1) = 456 \pm 27 \text{ Mpc}$$

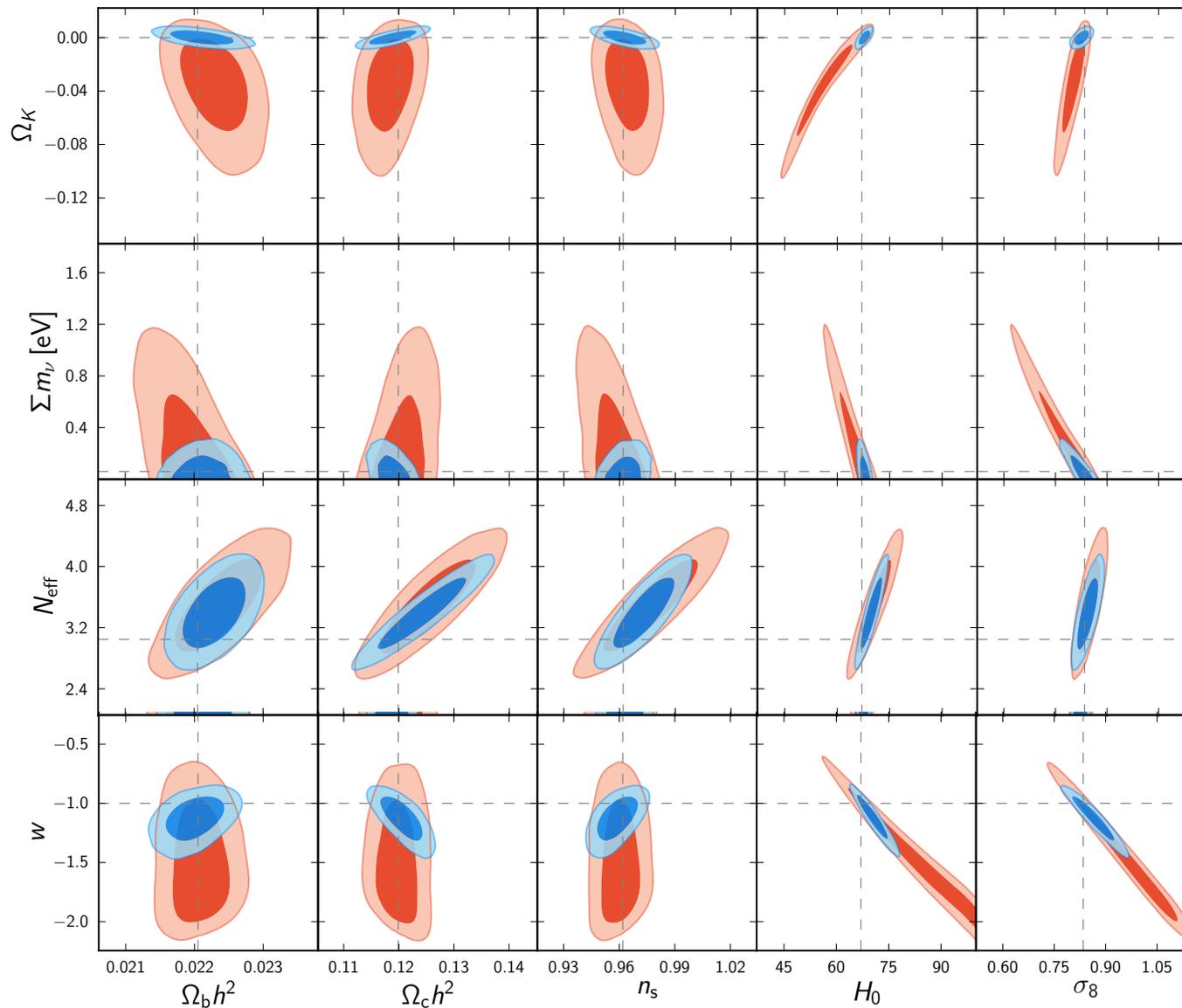


Why measure H_0 ?

- TAIPAN will make 1% H_0 measurement
- Local expansion rate is a **fundamental cosmic parameter** (e.g. important for determining the age of the Universe)
- Assuming flat Λ CDM, Planck CMB constrains H_0 to $\sim 1.8\%$, but **this is a model-dependent result**
- Independent determination of H_0 **can improve the measurement of other parameters** (e.g. dark energy, neutrino numbers/masses)
- There are **systematic discrepancies** between CMB and local H_0 measurements (Cepheids, masers, supernovae)

Why measure H_0 ?

- Planck determination of H_0 is model-dependent



Planck results

Red : CMB only

Blue : CMB+BAO

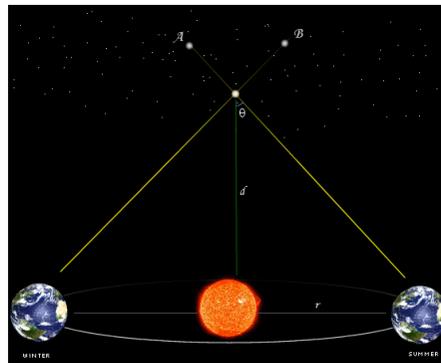
Why measure H_0 ?

- Local determinations of H_0

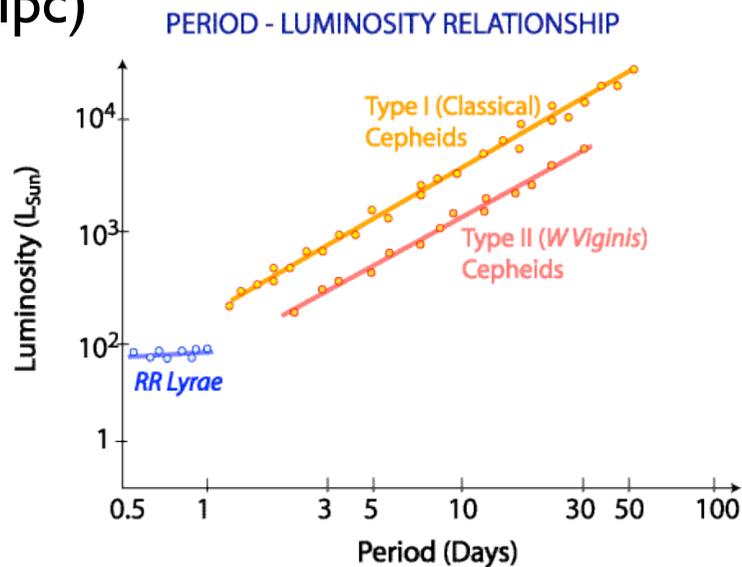
Eclipsing binaries
(in LMC, 50 kpc)



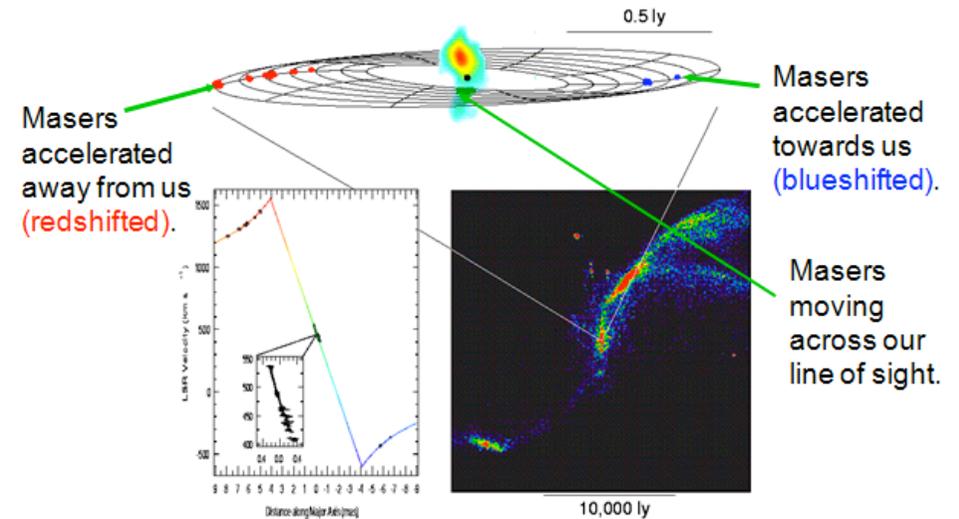
Parallax (< 1 kpc)



Cepheids
(< 30 Mpc)



Masers (NGC4258 at 7.6 Mpc)

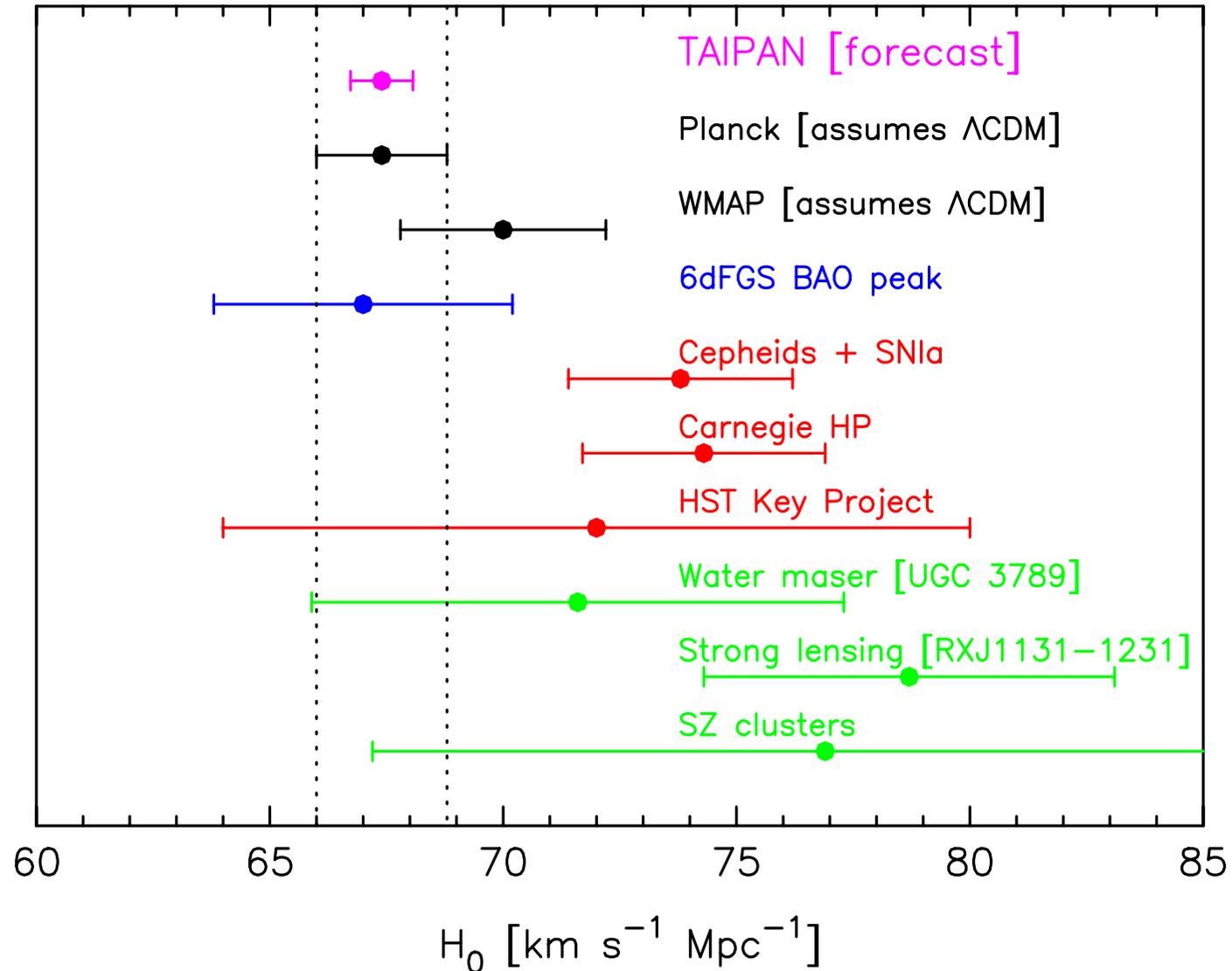


Supernovae
($z < 0.1$)



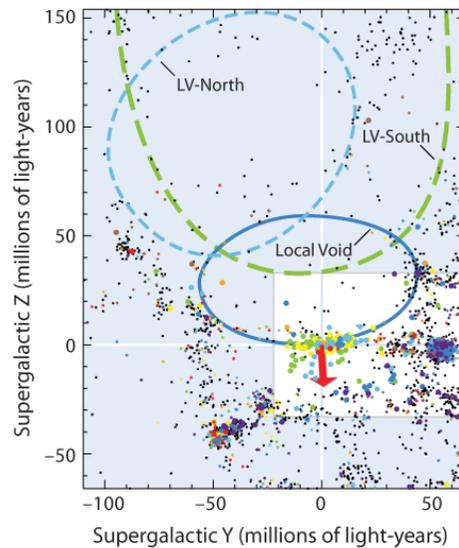
Why measure H_0 ?

- Discrepancies between Planck and local measurements

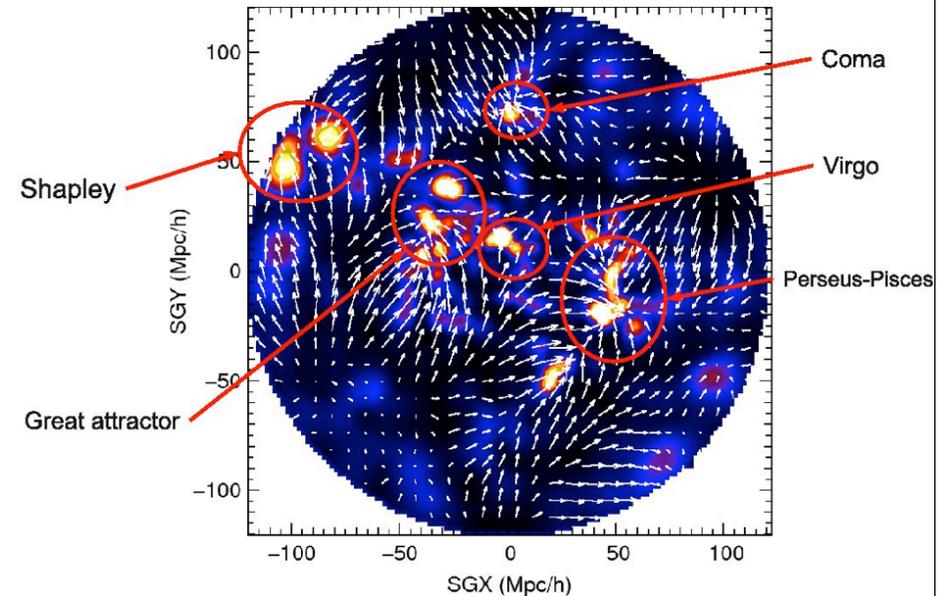
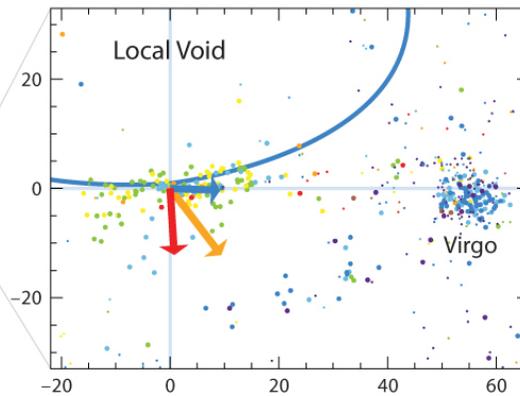


Why measure H_0 ?

- Discrepancies could be **systematic errors ...?**
- ... or signatures of **non- Λ CDM physics?**
- ... or signature of gravitational physics driven by **inhomogeneity / backreaction ?**

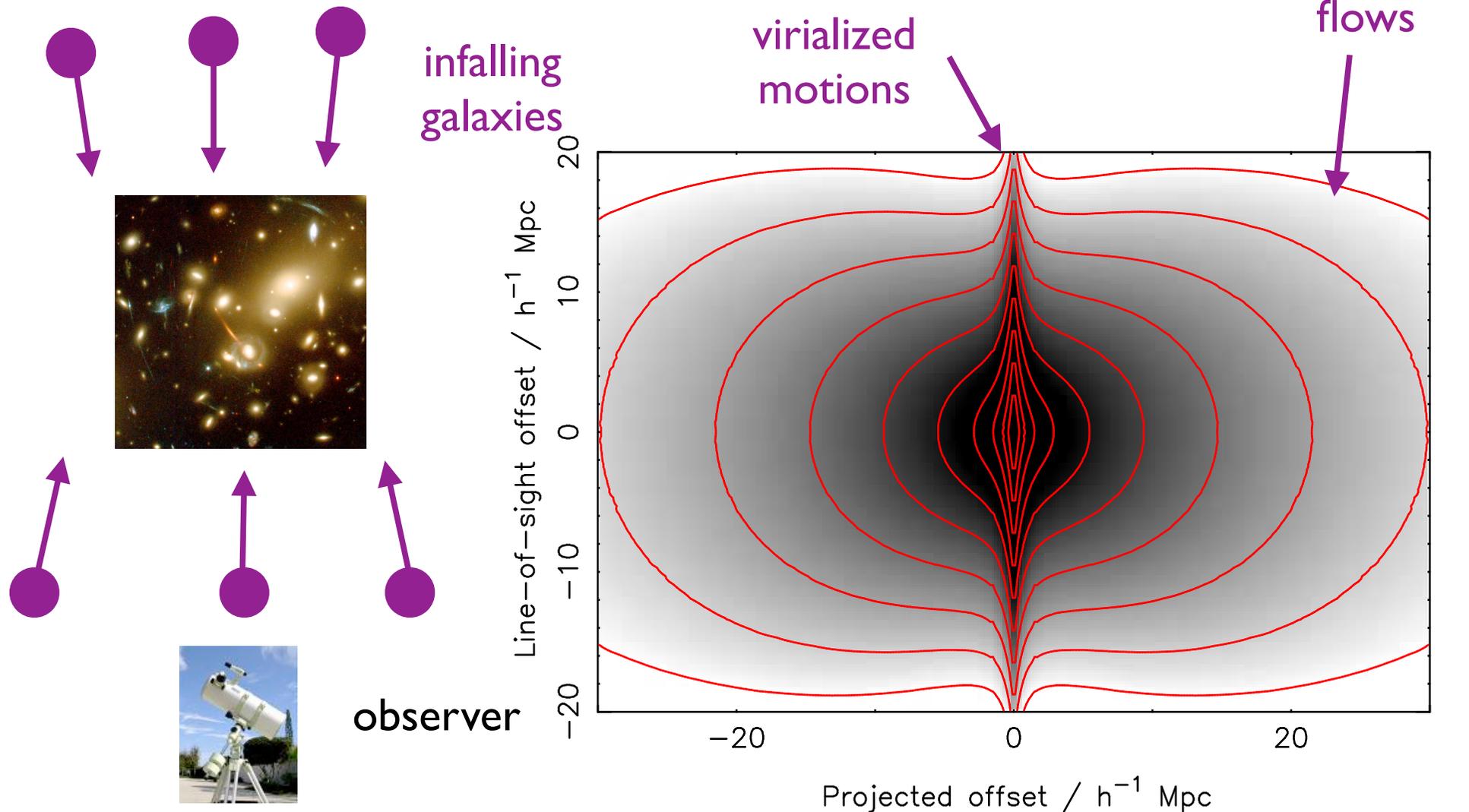


Our motion with the respect to galaxies in the Local Supercluster *Tully et al. 2008, ApJ, 676, 184*



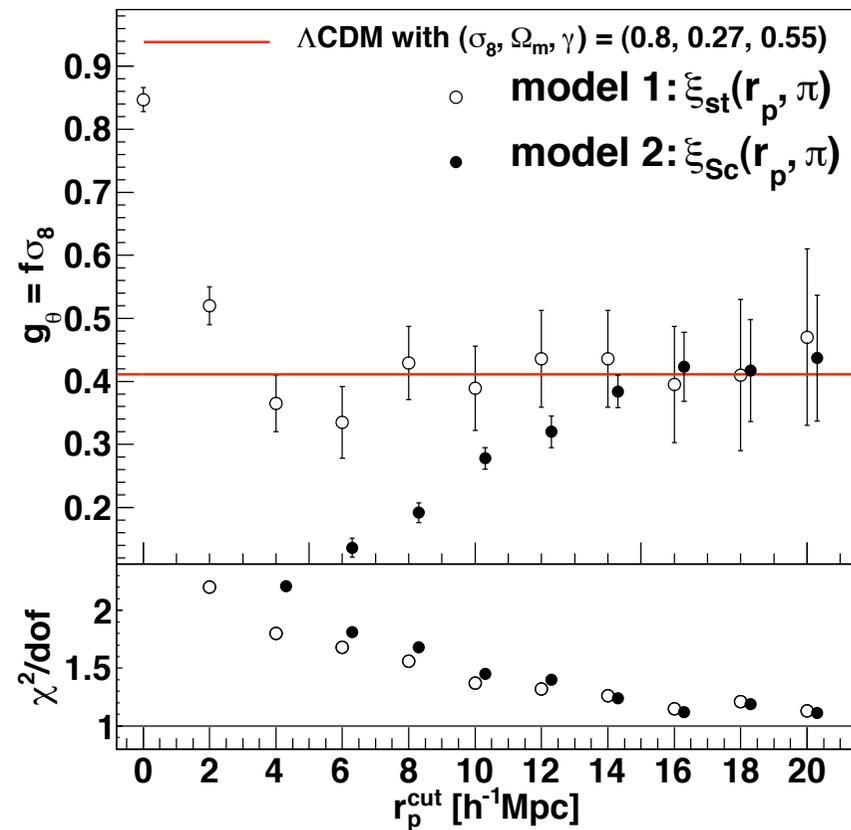
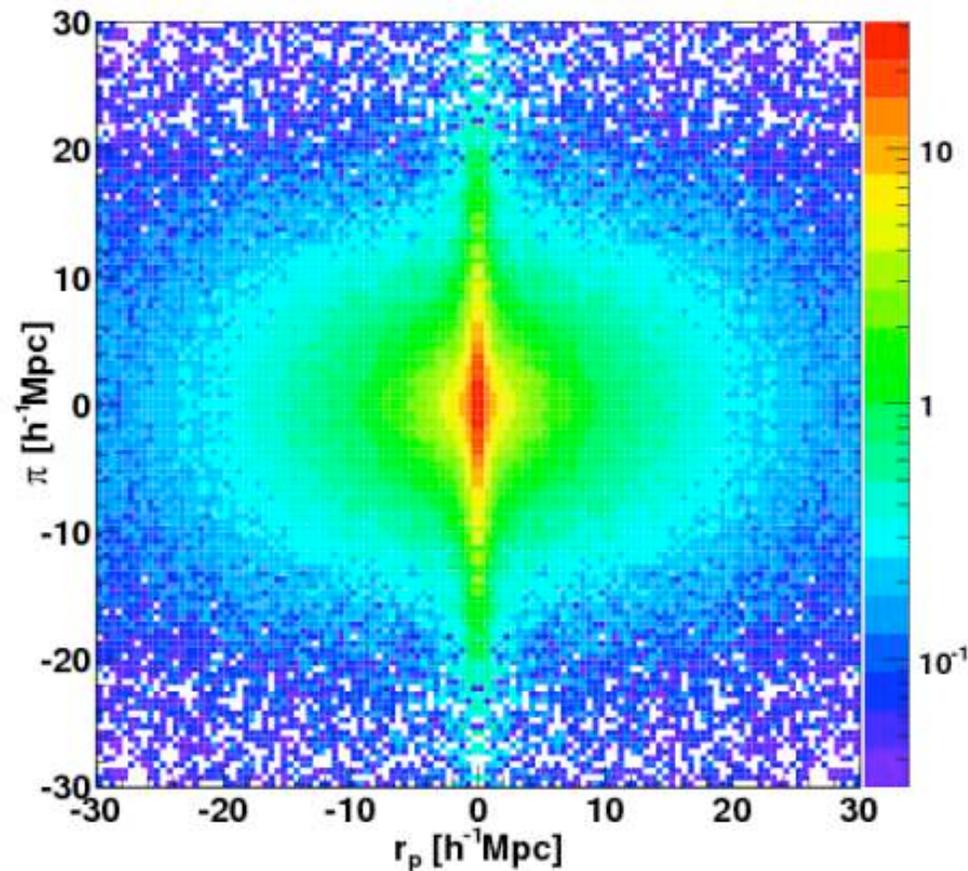
Redshift-space distortions

- Does a cosmological model produce self-consistent cosmic growth and expansion histories?

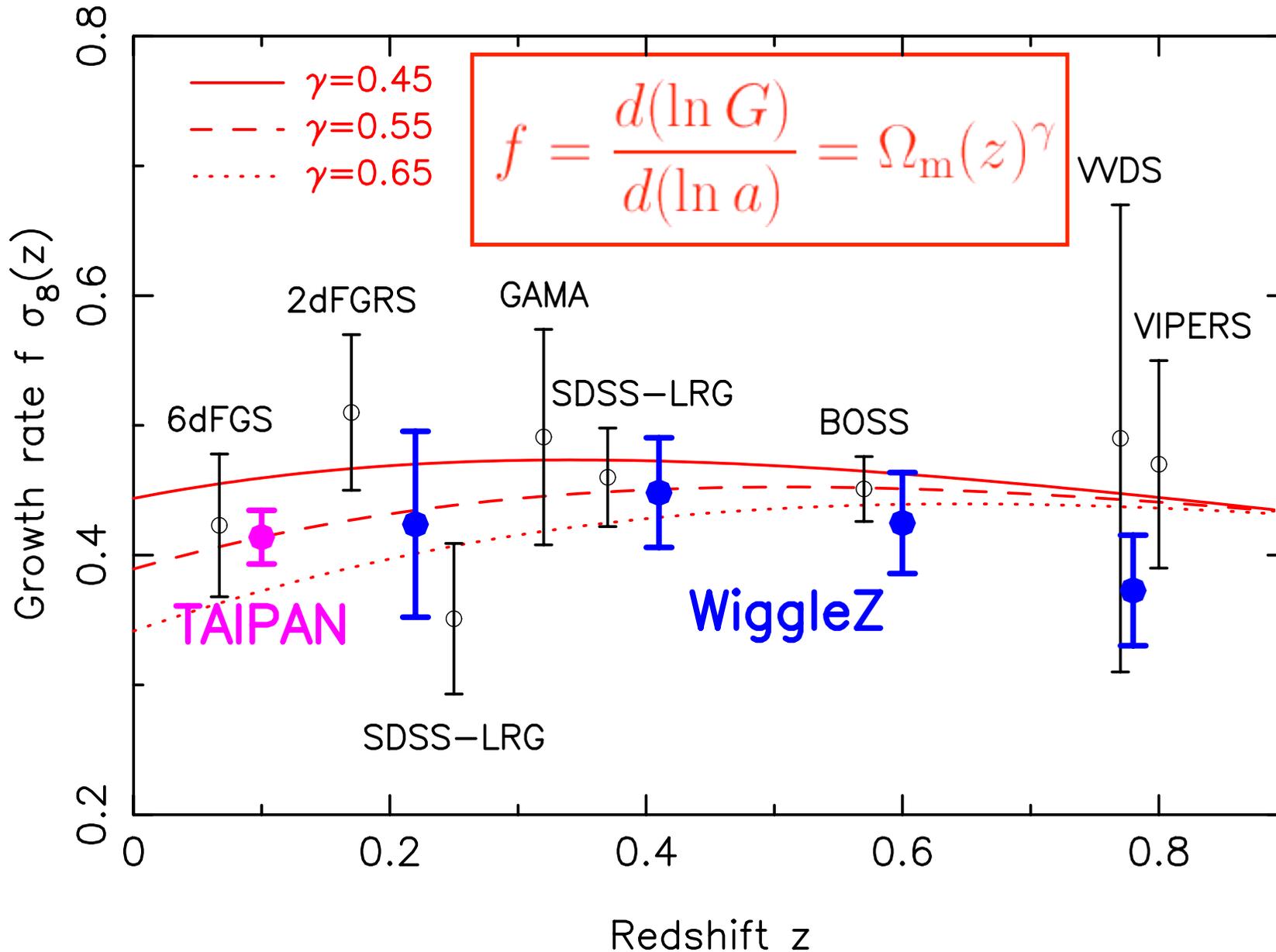


Redshift-space distortions

- 6dFGS measurement from Beutler et al. (2012)



Redshift-space distortions



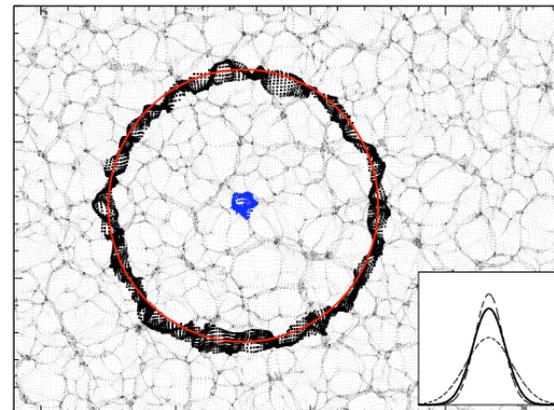
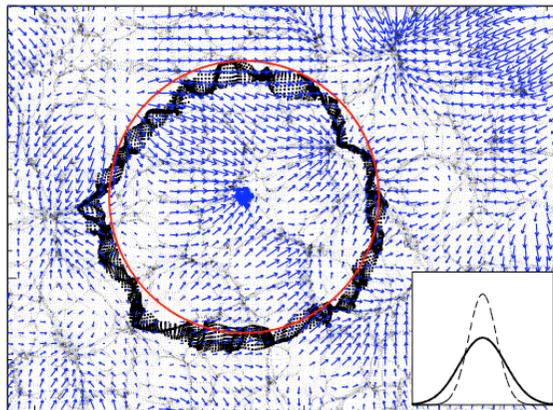
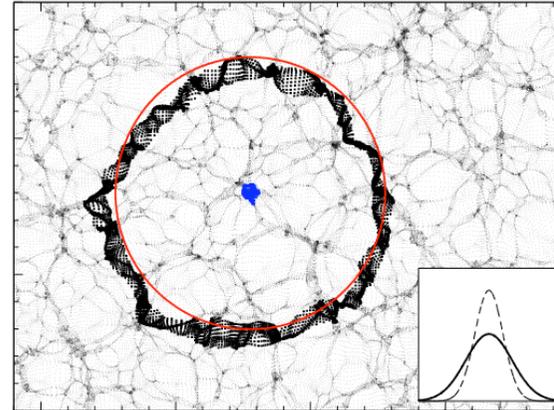
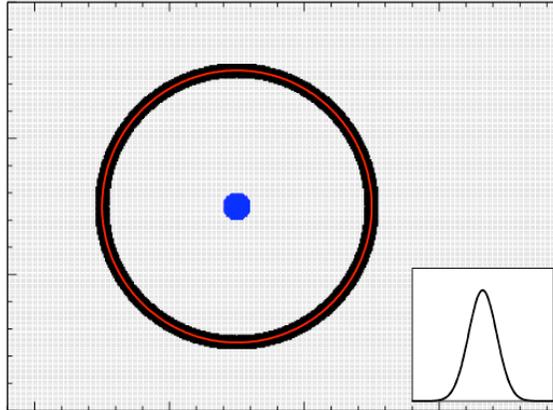
Why measure RSD at low redshift?

- TAIPAN will make 5% growth rate measurement
- **Advantage** : local growth rate is very sensitive to dark energy or modified gravity model
- **Advantage** : high number density of galaxies may be observed, allowing multiple-tracer techniques
- **Disadvantage** : structure becomes “non-linear” at low redshift and difficult to model
- **Disadvantage** : is difficult to cover a sizable volume

Analysis techniques

- Two approaches for optimizing these measurements
- We can select galaxies to fill space **more uniformly** [e.g. photo-z]
- We can use **“reconstruction”** of the acoustic peak

Padmanabhan
et al. (2012)



Survey simulations

- Use Fisher matrix techniques to predict H_0 and growth measurements given survey $n(z)$ and area

[astro-ph/0701079](#)

IMPROVED FORECASTS FOR THE BARYON ACOUSTIC OSCILLATIONS AND COSMOLOGICAL DISTANCE SCALE

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ABSTRACT

We present the cosmological distance errors achievable using the baryon acoustic oscillations as a standard ruler. We begin from a Fisher matrix formalism that is upgraded from Seo & Eisenstein (2003). We isolate the information from the baryonic peaks by excluding distance information from other less robust sources. Meanwhile we accommodate the Lagrangian

Survey simulations

- Luminosity functions

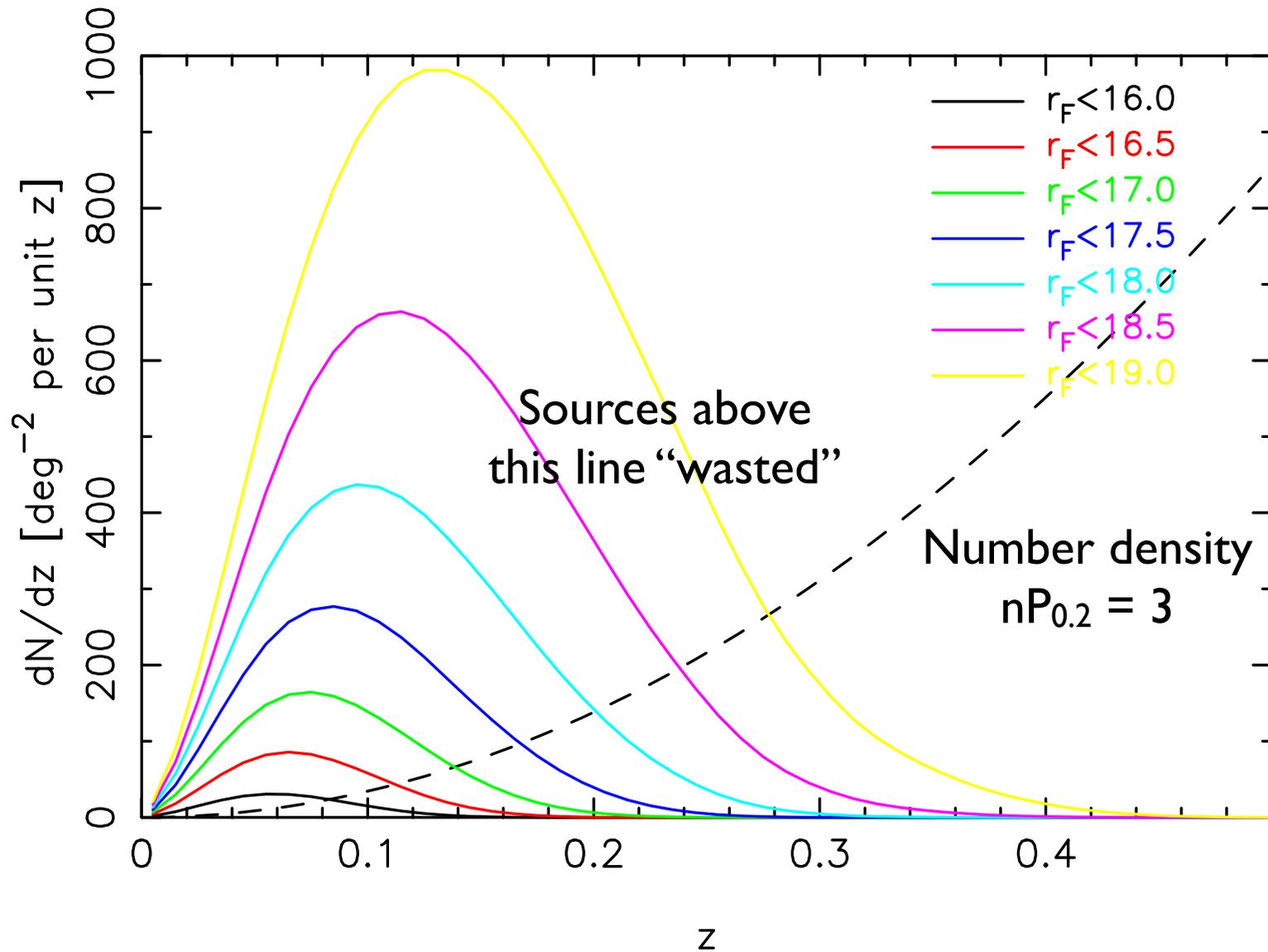
Selection band	r_F
Luminosity function	Jones et al. (2006) 6dFGS r_F -band
K-corrections	Poggianti (1997) for E galaxies
Conversion to AB mags	$r_{AB} = r_F + 0.36$ (Fukugita 1995)
Bias of sources	$b=2$

- Surveys

Maximum survey area	20,000 deg ²
Survey duration	5 years
Time fraction	0.5(dark) x 0.66(weather)
Hours observed/night	8

Survey simulations

- Redshift distributions



Survey simulations

- Telescope/instrument assumptions

Mirror diameter	1.2 m
Efficiency (instrument)	0.2
Efficiency (atmosphere)	0.9
Field-of-view diameter	6 deg
Number of fibres	150
Fibre diameter	3 arcsec
Read noise	3 electrons
Dark current	0.003 elec/s/pix
Number of pixels extracted	4 (2x2)
Configuration time	300 s
Maximum exposure time	1800 s

Survey simulations

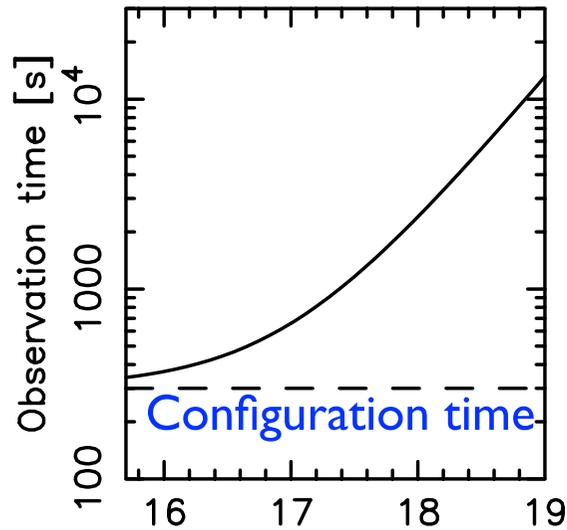
- Exposure time assumptions

Wavelength to evaluate S/N	5483 A
Size of SRE	2.384 A
Sky background (AB mags)	20.8
Required S/N per SRE	1.0
Half-light radius of sources	5 arcsec
Seeing	1.5 arcsec
Aperture light loss	(fibre area)/(source area)
Redshift completeness	0.7

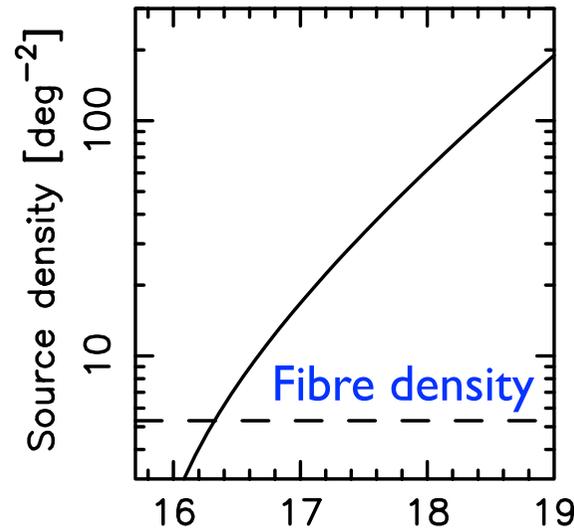
Survey simulations

- Vary magnitude threshold in range $16 < r_F < 19$ with bright limit $r_F = 15.6$ (6dFGS)
- Use r_F to determine source density and $N(z)$
- Use source and fibre density to determine number of passes of sky required to complete survey
- Use r_F and S/N goal to determine exposure time
- Use exposure time, survey duration, number of passes and FoV to determine survey area (max. 20,000 deg²)
- Use $N(z)$ and area to forecast BAO and growth errors

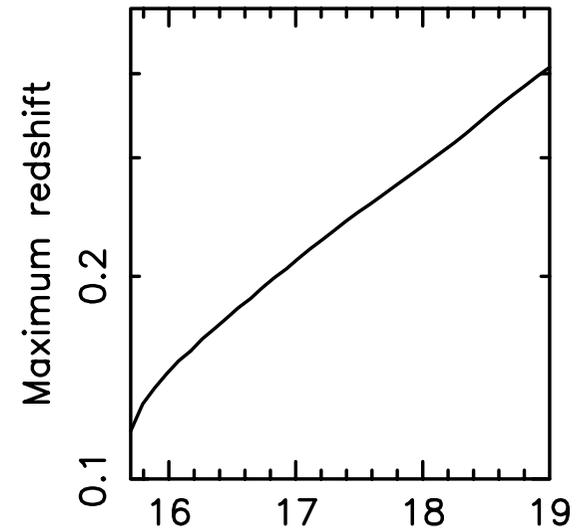
Survey simulations



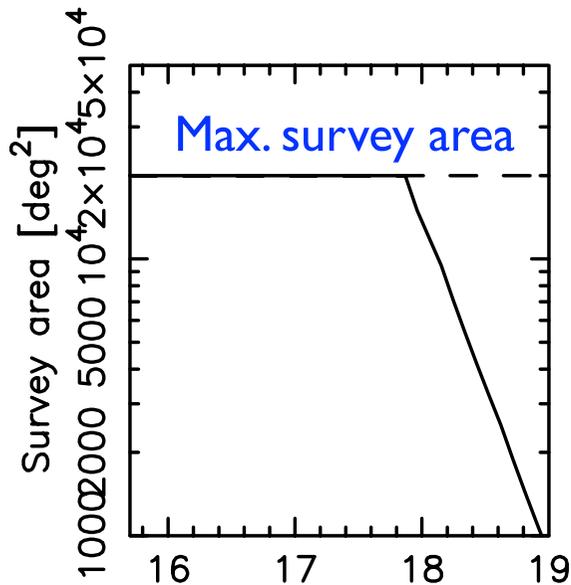
r_F limit



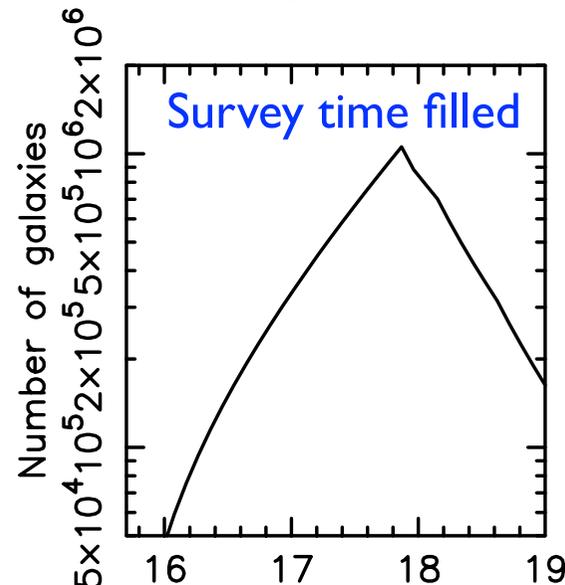
r_F limit



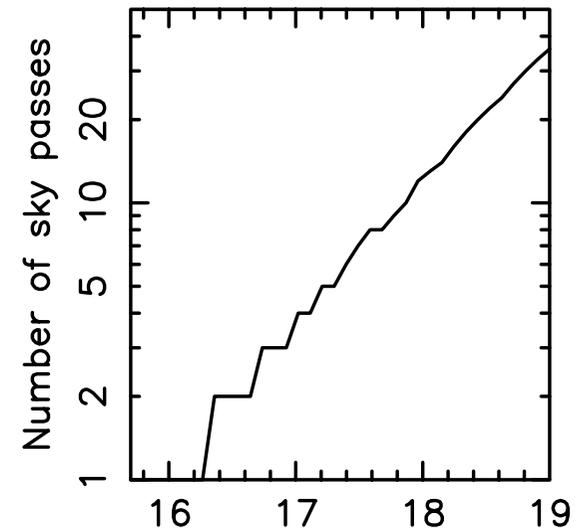
r_F limit



r_F limit



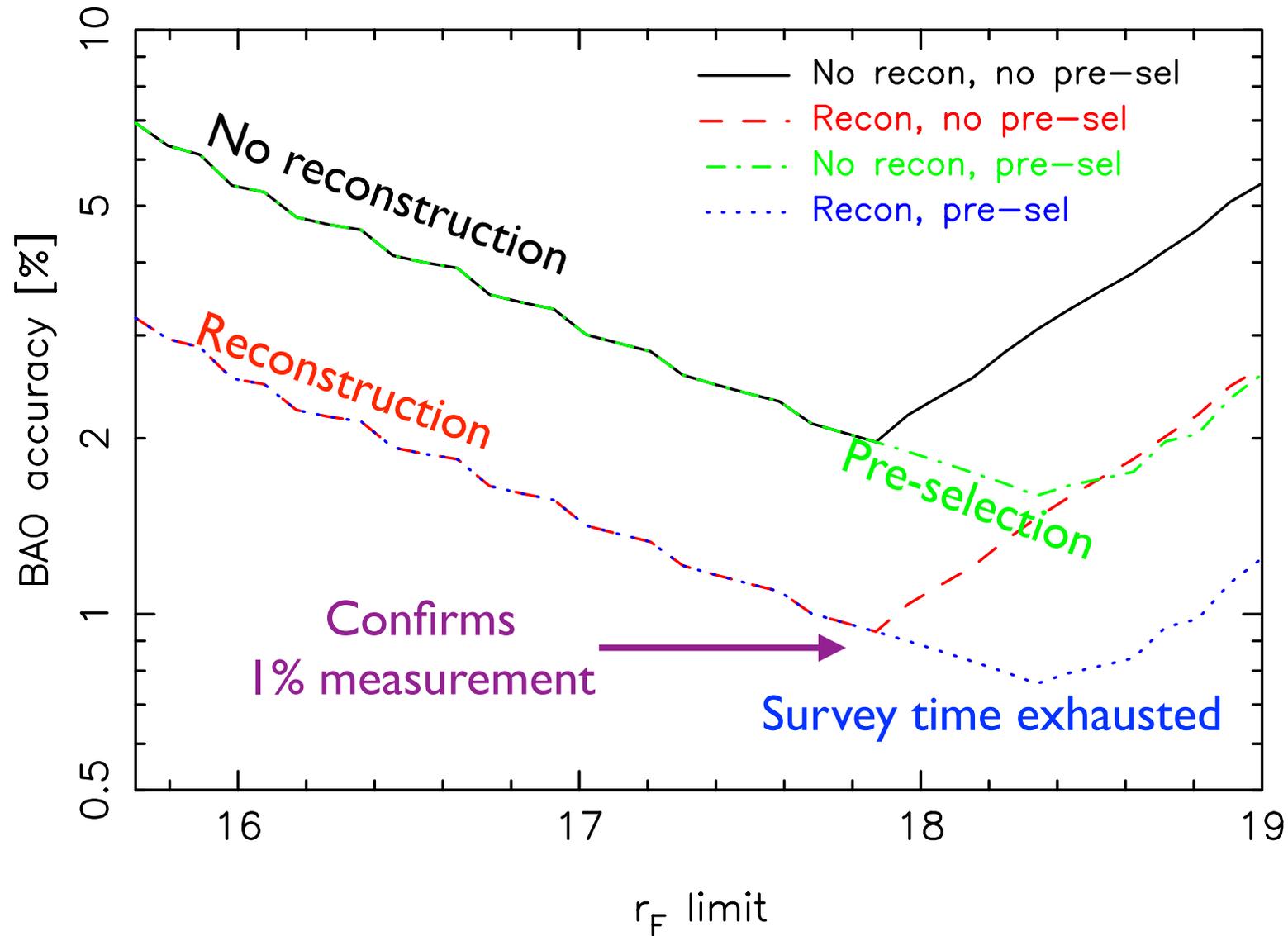
r_F limit



r_F limit

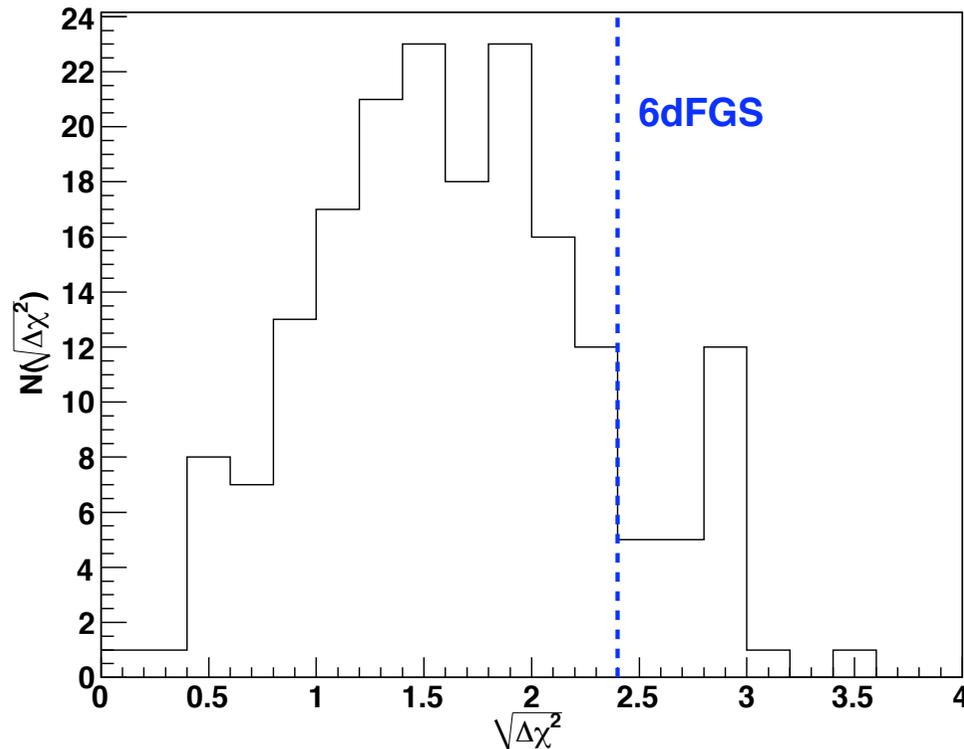
Survey simulations

- BAO accuracy



Survey simulations

- Cosmic variance

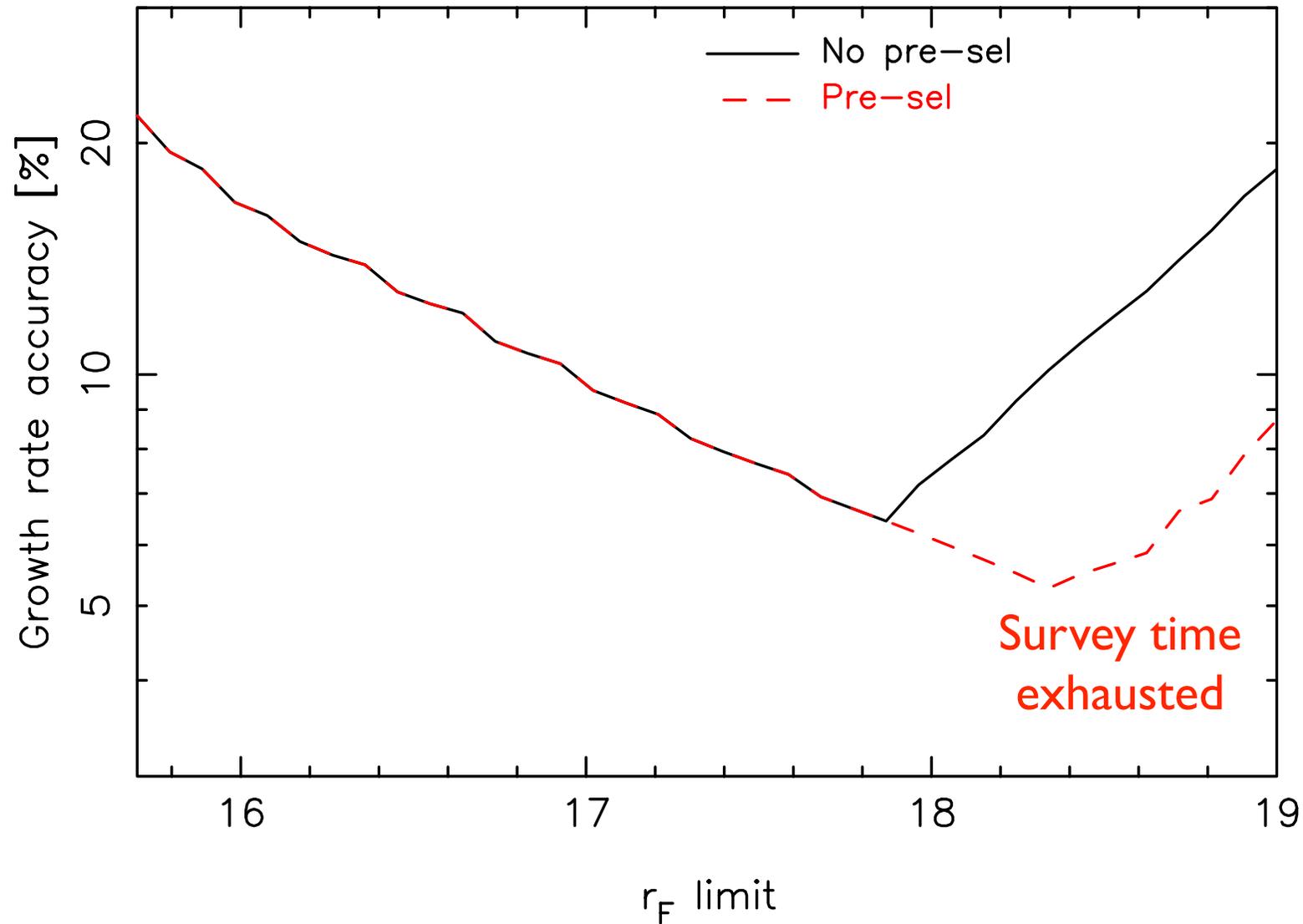


Beutler et al.
(2011)

Figure 8. The number of log-normal realisations found with a certain $\sqrt{\Delta\chi^2}$, where the $\Delta\chi^2$ is obtained by comparing a fit using a Λ CDM correlation function model with a no-baryon model. The blue line indicates the 6dFGS result.

Survey simulations

- Growth accuracy



Conclusions

- TAIPAN can provide **1% measurement of H_0** cross-checking CMB vs. local measurement discrepancy
- TAIPAN can improve the **$z=0$ growth rate by a factor of 2**, resulting in stronger tests of GR
- Survey simulation suggests **$r_F < 17.8$ is optimal for 5-year flux-limited survey** [depends on design choices!]
- **Optimal pre-selection** allows 0.5 mag fainter limit and **~30% improvements in parameters**